




WEEK ENDING.....18/11/2022.....

SUBJECT...MATHEMATICS

REFERENCE...SYLLABUS(CRDD.2007), MATHS FOR JHS

FORM.....BASIC 8.....WEEK.....10.....

<u>DAY/DURATION</u>	<u>TOPIC/SUB-TOPIC/ASPECT</u>	<u>OBJECTIVES/R.P. K</u>	<u>TEACHER-LEARNER ACTIVITIES</u>	<u>T/L MATERIALS</u>	<u>CORE POINTS</u>	<u>EVALUATION AND REMARKS</u>
TUESDAY 15-11-2022 1:20PM – 2:40PM 80min	Topic; Probability Sub-Topic; Outcomes of an experiment	By the end of the lesson the Pupil will be able to; identify outcomes which are equally likely RPK Pupils were taught lesson on Probability in Basic 6.	Introduction Pupils brainstorm to define Probability of an outcome. Activities; <ol style="list-style-type: none"> Discuss the Formula for calculating Probability with the Pupils. Assist Pupils to calculate the Probability of outcomes. Closure	Coins, dice, Pictures	What is the formula of probability P?   $P(A/B) = \frac{P(A \cap B)}{P(B)} \Rightarrow P(A \cap B) = P(A/B) \cdot P(B)$ $P(B/A) = \frac{P(A \cap B)}{P(A)} \Rightarrow P(A \cap B) = P(B/A) \cdot P(A)$ <p>P(A/B) Formula is given as, $P(A/B) = P(A \cap B) / P(B)$, here \cap symbol represents the intersection of event 'A' and event 'B'. P(A) is probability of event A happening, P(B) is the probability of event B happening and P(A\capB) is the probability of happening of both A and B.</p> <p>Example 1: Probability of getting an even number on rolling a dice once. Solution: Sample Space (S) = {1, 2, 3, 4, 5, 6} Event (E) = {2, 4, 6} Therefore, n (S) = 6 and n (E) = 3 Putting this in the probability formula, we get: $P = 3 / 6 = 1 / 2 = 0.5$</p>	Exercise; <ol style="list-style-type: none"> Define Probability. State the formula for calculating the outcome of an experiment.

			Pupils in small groups to practice solving Probability questions.		<p>This means, that the chances of getting an even number upon rolling a dice is 0.5</p> <p>Example 2: Probability of getting HEAD at least once on tossing a coin twice. Solution: Sample Space (S) = {HH, HT, TH, TT}; where H denotes Head and T denotes Tail. Event (E) = {HH, HT, TH} Therefore, Therefore, n (S) = 4 and n (E) = 3 Putting this in the probability formula, we get: $P = \frac{3}{4} = 0.75$ This means, that the chances of getting at least one HEAD on tossing a coin twice are 0.75</p>	
THURSDAY 17-11-2022 8:05AM – 9:15AM 70min	Topic; Probability Sub-Topic; Probability of an outcome	Objective; By the end of the lesson the Pupil will be able to; find the probability of an outcome RPK Pupils were taught lesson on Probability in Basic 6.	Introduction Review Pupils knowledge on the previous lesson. Activities; <ol style="list-style-type: none"> 1. Guide pupils to define the probability of an outcome. 2. Pupils individually practice finding the outcome 	Coins, dice, Pictures	 <p>Probability is a measure of the likelihood that an event will happen. When dealing with probability, the outcomes of a process are the possible results. For example, when a die is rolled, the possible outcomes are 1, 2, 3, 4, 5, and 6</p>	REMARKS

of an
experiment
using
formula.

Closure

Through questions
and answers,
conclude the
lesson

$$P(A) = n(A)/n(S)$$

Where,

- $P(A)$ is the probability of an event “A”
- $n(A)$ is the number of favourable outcomes
- $n(S)$ is the total number of events in the sample space

All Probability Formulas List in Maths

Probability Range

$$0 \leq P(A) \leq 1$$

Rule of Addition

$$P(A \cup B) = P(A) + P(B) - P(A \cap B)$$

Rule of
Complementary
Events

$$P(A') + P(A) = 1$$

Disjoint Events

$$P(A \cap B) = 0$$

Independent
Events

$$P(A \cap B) = P(A) \cdot P(B)$$

					<table><tr><td>Conditional Probability</td><td>$P(A B) = P(A \cap B) / P(B)$</td></tr><tr><td>Bayes Formula</td><td>$P(A B) = P(B A) \cdot P(A) / P(B)$</td></tr></table>	Conditional Probability	$P(A B) = P(A \cap B) / P(B)$	Bayes Formula	$P(A B) = P(B A) \cdot P(A) / P(B)$	
Conditional Probability	$P(A B) = P(A \cap B) / P(B)$									
Bayes Formula	$P(A B) = P(B A) \cdot P(A) / P(B)$									